



# Machine learning-based analysis of interaction effects among influencing factors on the resilient modulus of stabilized aggregate base

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## Abstract

To overcome the limitations of conventional single-factor analysis, this study proposed a framework for investigating interaction effects of influencing factors on the resilient modulus ( $M_r$ ) of stabilized aggregate base. First, cross-validation was utilized to compare the predictive accuracy and generalization capability of gradient boosting (GB) and random forest (RF) in predicting the  $M_r$ . The grid search algorithm was used to optimize hyperparameters. After optimization, the coefficient of determination for GB reached 0.99 on the training set and 0.96 on the test set, while those for RF were 0.98 and 0.94, respectively. The results indicated that GB demonstrated higher predictive accuracy for the  $M_r$ . Finally, the importance analysis, univariate sensitivity analysis, and bivariate interaction sensitivity analysis of influencing factors were systematically conducted using partial dependence plots (PDP) and Shapley additive explanations (SHAP). The research results showed that the importance of influencing factors on the  $M_r$  decreases in the order of maximum dry density to optimum moisture content ratio, wet–dry cycles (WDC), deviator stress, confining pressure, and ratio of oxide compounds in the cementitious materials. The bivariate interaction sensitivity analysis of the WDC, deviator stress, confining pressure, and ratio of oxide compounds in the cementitious materials did not disrupt their single-variable sensitivity relationships with the  $M_r$ . The variation of the WDC would destroy the single variable sensitivity relationship between the optimum moisture content ratio and  $M_r$ .

## 1 | INTRODUCTION

The structure composition of asphalt pavement is a multi-level system, which is primarily constituted by surface layer, base layer, bottom base layer, and cushion layer (P. Liu et al., 2023). Each level has its specific function and requirements. Through reasonable structural design

and material selection, the performance and durability of asphalt pavement can be ensured (Swarna & Hossain, 2023). The stabilized aggregate base of asphalt pavement refers to the pavement base formed by mixing, spreading and compacting cementitious material with soil, gravel, or other aggregates (Kamran et al., 2021; Rust et al., 2022; Sharma et al., 2024). This base has good stability and

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durability and is an important part of the asphalt pavement structure. For some highway sections with large traffic volume and heavy load, the use of high-quality stabilized aggregate base demonstrates remarkable enhancement in load-bearing capacity and structural longevity of the road surface.

Resilient modulus ( $M_r$ ) is a key design parameter in civil infrastructure systems that quantifies the stiffness of unbound materials.  $M_r$  refers to the stress-to-strain ratio in the phase of elastic deformation of the material, which is employed for describing the capability of the material to resist elastic deformation (Alzubi et al., 2024; A. Khan et al., 2023). The  $M_r$  of stabilized aggregate base is a key index to evaluate its mechanical properties and deformation characteristics (Arulrajah et al., 2021; Ghanizadeh & Rahrovan, 2016; X. Zhang et al., 2023). The  $M_r$  of aggregate stabilized base directly influences the load-bearing capacity and resilience of the pavement. The  $M_r$  value at any site is the result of several factors that interact in multiple ways (Chowdhury, 2021; Jahanshahi & Ghanizadeh, 2025). To explore the effects stemming from different factors on the  $M_r$  of asphalt stabilized base, the researchers conducted lots of research. Wilde et al. (2016) proposed to improve the quality of aggregate base by considering the grading and shape of aggregates and finally determined an effective method with a gravel ratio of 1.4. Mizher et al. (2024) conducted unconfined compressive strength tests and monotonic triaxial tests to evaluate the interaction influence that exerts on asphalt and rubber particles on the properties of pavement base materials under certain confining pressures. The study findings revealed that the increase in the  $M_r$  caused by 3%–5% asphalt content was not enough to resist the decrease in the  $M_r$  caused by 25%–45% rubber content. Kim et al. (2014) demonstrated, with the aid of artificial neural network (ANN), that the stress state and physical properties have a significant impact on the  $M_r$  of subgrade. Hu et al. (2023) analyzed the feasibility of using foam asphalt for cold recovery cement-stabilized aggregate base by using compressive elastic modulus test, splitting strength test, and dynamic modulus test. The research results indicated that the recycled stabilized aggregate base can be used for road base construction. In the last few years, machine learning methodologies have witnessed significant advancements, providing new avenues for solving complex problems. In the domain of road engineering, researchers typically adopt laboratory testing methods to explore complex issues. However, laboratory testing methods have limitations such as long test cycles and high costs. To address these limitations, researchers have begun investigating the application of machine learning to deal with these research challenges. Ikeagwuani and Nwonu (2022) demonstrated the prediction accuracy of machine

learning models by comparing their performance with that of traditional prediction models in predicting the  $M_r$  of highway base courses. Heidarabadizadeh et al. (2021) constructed a support vector machine (SVM) hybridized with the colliding bodies optimization algorithm for predicting the  $M_r$  of road materials and demonstrated the predictive accuracy of this model through model comparison. Shah et al. (2024) constructed predictive models for the  $M_r$  of pavement base using machine learning models such as SVMs, neural networks, and decision trees and employed Bayesian to achieve hyperparameter tuning for the models. The research results showed the optimized least squares boosting demonstrated the best predictive performance. K. Khan et al. (2022) developed ANN and gene expression programming (GEP) predictive models for the  $M_r$  of stabilized aggregate base. The accuracy of models was evaluated using coefficient of determination ( $R^2$ ) as the performance metric, and the results demonstrated that the ANN significantly outperformed the GEP in predicting the  $M_r$ . Ikeagwuani et al. (2022) utilized the long-term pavement performance dataset to develop gradient boosting (GB), adaptive neuro-fuzzy inference system, and ANN for predicting the  $M_r$  of subgrade soils. All three machine learning methods achieved high prediction accuracy with  $R^2$  values exceeding 0.9, demonstrating the reliability of the constructed models. Maalouf et al. (2012) used SVM to analyze the behavior of the stabilized foundation layer subjected to alternating dry and wet conditions and evaluated the influence of various factors on the  $M_r$  of stabilized aggregate base. The research results showed that SVM could accurately assess the  $M_r$ , and the dry and wet cycles had a certain influence on the  $M_r$  of stabilized aggregate base. Although some researchers have recognized the significance of machine learning in evaluating the importance and sensitivity of influencing factors for the  $M_r$ , the existing research has limitations such as low model prediction accuracy and only analyzing the sensitivity of a single factor without considering the influence patterns of the interaction between variables on the  $M_r$ .

Traditional analytical methods can only analyze the linear interactive effects between influencing factors and response indicators, whereas non-linear interactive relationships commonly exist between the  $M_r$  and the influencing factors. Forcing a linear model to fit such relationships would severely distort the actual interactions. To uncover the internal complex relationships of how different factors influence the  $M_r$  of stabilized aggregate base and to avoid the limitations of single-factor analysis, this study developed a novel framework for analyzing the interactive influence patterns of various influencing factors on the  $M_r$  of stabilized aggregate base, based on methods including GB, random forest (RF),

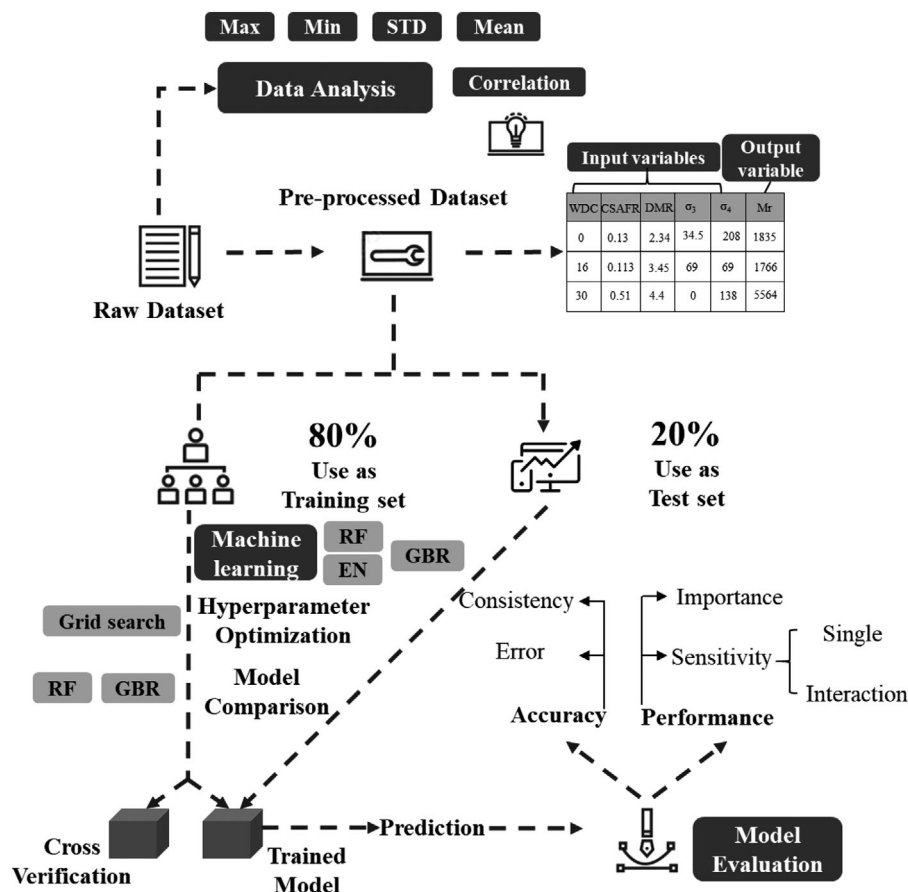


FIGURE 1 Research flow chart. RF, random forest.

cross-validation, PDP, SHAP, and so forth. First, the prediction accuracy and generalization ability of RF and GB for the  $M_r$  of stabilized aggregate base were compared through cross-validation. Then the hyperparameter of RF and GB were tuned using a grid search algorithm. Finally, based on the model with superior prediction performance, the analysis was conducted to assess the importance, individual sensitivity, and bi-variable interaction sensitivity of different influencing factors on the  $M_r$  of stabilized aggregate base. Figure 1 displays the specific research ideas.

## 2 | RESEARCH METHODS

### 2.1 | Description of the input variables

The input variables are the ratio of oxide compounds in the cementitious materials (CSAFR), wet-dry cycles (WDC), the ratio of maximum dry density to the optimum moisture content (DMR), deviator stress ( $\sigma_4$ ) and confining pressure ( $\sigma_3$ ), and the output variable is  $M_r$ . CSAFR directly affects the hydration reaction, influencing the cementation strength and stiffness of the material,

thereby impacting the  $M_r$  of stabilized aggregate base. WDC cause repeated freezing expansion and thawing contraction of internal moisture in the material, leading to structural damage. This reduces the stiffness and performance of the material. In cold regions, WDC is one of the main influencing factors for the performance of stabilized aggregate base. The maximum dry density reflects the compactness of the material, directly affecting its strength and stiffness. The optimum moisture content refers to the water content at which maximum compaction is achieved. The DMR can comprehensively characterize the influence of compaction quality on the  $M_r$  of stabilized aggregate base.  $\sigma_4$  reflects shear loading, directly influencing the stress-strain behavior of material. It can be used to simulate real-world traffic load conditions on the stabilized aggregate base.  $\sigma_3$  represents the simulation of lateral confinement on the material. It can be used to model the pressure from overlying pavement layers or surrounding soil on the stabilized aggregate base. The selection of the five factors (CSAFR, WDC, DMR,  $\sigma_4$ , and  $\sigma_3$ ) achieves multi-scale coverage of influencing factors from both macroscopic and microscopic perspectives. It encompasses chemical-level influences (CSAFR), pore structure-level influences (DMR), mechanical response-level influences

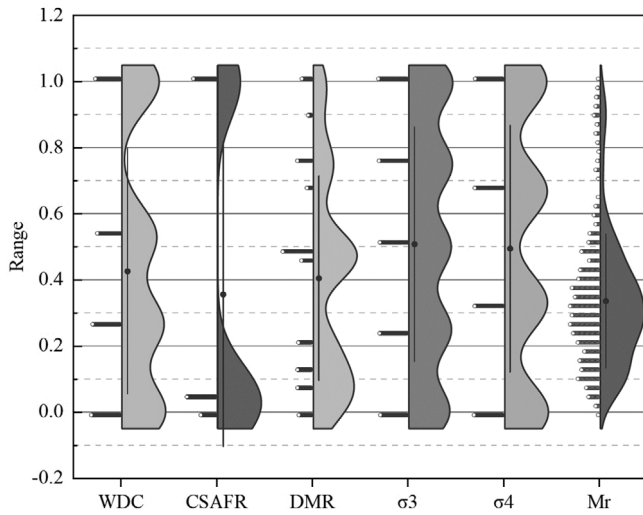


FIGURE 2 Violin diagram of variables.

( $\sigma_4$  and  $\sigma_3$ ), and environmental effect-level influences (WDC). This effectively avoids the singularity in the selection of influencing factors for stabilized aggregate base. The 704 datasets were collected from the literature published by the Khoury research group (Khoury & Zaman, 2007; Maalouf et al., 2012). They have conducted systematic research in the field of stabilizing aggregate base for many years and published multiple research achievements. In recent years, other researchers have also carried out corresponding studies based on their experimental data, with the research findings published in authoritative journals within the field (Kaloop et al., 2019; A. Khan et al., 2023). However, the aforementioned studies did not delve into the research on how the interactive effects among influencing factors impact the  $M_r$  of stabilized aggregate base. This study primarily utilizes the experimental data from Khoury research group to analyze this research gap. Before establishing a regression prediction model, statistical analysis of datasets is an indispensable step. It helps verify the precision and reliability of the datasets and provides strong support for the construction of the model. By conducting descriptive statistical analysis, researchers can gain insights into the distribution patterns of the datasets. Violin diagram is an important way to show the distribution of data. The violin diagram of the data distribution after standardizing is displayed in Figure 2. The findings in Figure 2 show that the data distribution of WDC, DMR,  $\sigma_3$ , and  $\sigma_4$  among the input variables is relatively uniform. To further understand the data of variables, this study analyzed the maximum, minimum, mean value, and other mathematical statistical indicators of input variables. The mathematical statistical analysis of the input variables is displayed in Table 1. As revealed in Table 1, the coverage of CSAFR, WDC, DMR,  $\sigma_3$ , and  $\sigma_4$  is extensive, with a relatively small difference between the median and the mean,

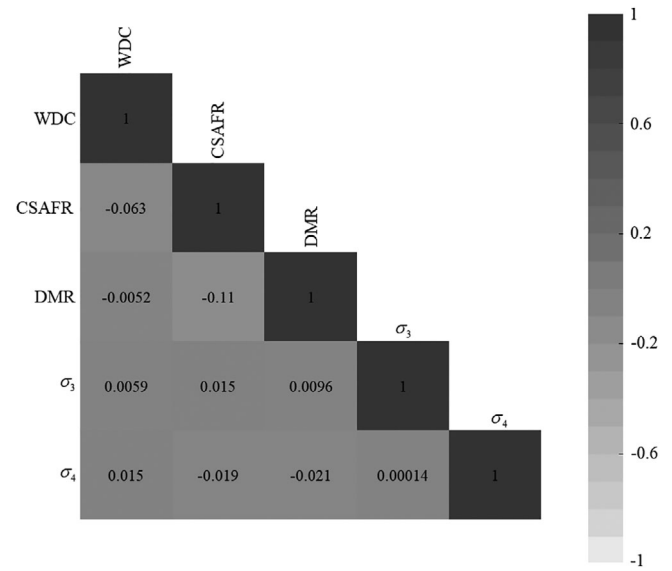


FIGURE 3 Correlation between the input variables.

and the standard deviation is also small. These results demonstrate that the input variables have a wide coverage and a reasonable distribution, proving the reasonable of the datasets used for evaluating the  $M_r$ .

## 2.2 | Correlation analysis of the input variables

Correlation analysis is a quantitative technique for evaluating the magnitude and orientation of associations among variables. It helps understand whether there is a certain connection between variables and the extent of the connection. Correlation analysis can help recognize collinearity issues among input variables (Wang et al., 2023; H. Zhang et al., 2022). If there exists a high degree of correlation between input variables, it may lead to unstable estimation results of the model or produce misleading conclusions. Through correlation analysis, these problems can be found and dealt with in time to ensure the robustness of the model. Figure 3 displays the Pearson correlation analysis findings of the input variables. There exists a negative correlation between WDC and CSAFR, WDC and DMR, and the correlation coefficients are  $-0.063$  and  $-0.0052$ , respectively. There is also a negative correlation between  $\sigma_4$  and CSAFR,  $\sigma_4$  and DMR, with correlation coefficients of  $-0.019$  and  $-0.021$ , respectively. All other input variables are positively correlated. The correlation coefficients between WDC and  $\sigma_3$ , WDC and  $\sigma_4$  are  $0.0059$  and  $0.015$ , respectively. The correlation coefficient between CSAFR and  $\sigma_3$  is  $0.015$ . CSAFR and DMR have the correlational statistics of  $-0.11$ , which is the largest correlation. On the whole, the correlations between the input variables are



**TABLE 1** The description statistics of the input variables.

	Wet-dry cycles (cycles)	CSAFR (%)	DMR (%kN/m <sup>3</sup> )	$\sigma_3$ (kPa)	$\sigma_4$ (kPa)
Maximum	30.00	0.51	4.63	138.00	277.00
Minimum	0.00	0.11	2.34	0.00	69.00
Median	8.00	0.13	3.37	69.00	138.00
Mean value	12.80	0.25	3.27	70.13	171.92
Standard deviation	11.16	0.18	0.71	48.86	77.73

small. The above analysis demonstrates that the influencing factors employed in this research to analyze the  $M_r$  of the stabilized aggregate base exhibit no strong correlation with one another. Consequently, the phenomenon of multicollinearity, which undermines the accuracy of model evaluation, will be absent.

## 2.3 | Machine learning models

### 2.3.1 | RF

As a decision tree-based algorithm, RF introduces random selection attributes into the training process by leveraging Bagging technology (Bui et al., 2022; Ribeiro et al., 2023; Zhu et al., 2025). The characteristics of RF are direct principle, simple implementation, and high computational efficiency. It has shown excellent performance in small- and medium-sized datasets (hundreds of datasets; J. D. Huang et al., 2022; Qi et al., 2022; J. F. Zhang et al., 2025). The difference between RF and Bagging is that RF constructs decision trees by randomly selecting feature sets. First, establish a dataset  $D, D = \{X_i, Y_i\}, X_i \in R^k, Y \in \{1, 2, 3, \dots, C\}$ . Construct several decision trees randomly, and use the constructed decision trees to shape into the RF. The outcomes estimated by every single decision tree are summarized, and the ultimate prediction outputs are obtained by voting or averaging. RF improves the stability and accuracy through lowering the noise and sensitivity of the data (Xiao et al., 2024). The steps of RF construction are as follows.

1. Randomly sample  $n$  data points from the dataset (with replacement), and randomly choose  $k$  features along with the best feature node to execute splitting.
2. The newly formed collection of samples containing  $n$  data points and  $k$  features. It has a distribution of probabilities of Gini for node  $n$ , denoted as  $I_{Gini}(n) = \sum_{k=1}^K p_k(1 - p_k) = 1 - \sum_{k=1}^K p_k^2$ . Classification and Regression Trees (CART) is a binary tree of  $k = 2$  and is represented by  $I_{Gini}(n) = 2p(1 - p)$ .

3. Regarding attribute  $A$ , compute  $Gini(D, A)$ ,  $Gini(D, A) = \frac{|D_1|}{|D|} Gini(D_1) + \frac{|D_2|}{|D|} Gini(D_2)$ .
4. Select the best features and split nodes. Select a feature based on the principle of maximizing Gini, which will divide the values on the point into left and right offsprings nodes.
5. Repeat Steps (1) to (4) to form RF.

In this study, RF was used to achieve regression prediction on the  $M_r$  of stabilized aggregate base, and grid search algorithm and cross-validation were used to achieve hyperparameter optimization and prediction accuracy verification.

### 2.3.2 | GB

GB is a prediction method in which a strong prediction model is constructed by combining multiple weak learners (Berangi et al., 2025; R. Huang et al., 2024). GB has demonstrated outstanding prediction results in datasets of less than a thousand groups due to its excellent performance (Y. M. Huang et al., 2023; Wu et al., 2023; Zhao et al., 2025). GB can learn models from structured datasets while maintaining high model performance, thus establishing its dominant position in the domain of predictive modeling (Khattak et al., 2023; Liang et al., 2022). In each iteration learning process, the algorithm can evaluate the deviation between the actual value and the predicted value of each sample and train a new decision tree to fit the residual with the training sample. Significantly, the research demonstrates that GB uses gradient information at each iteration to guide the construction of weak learners. Specifically, it computes the gradient of the loss function defined with respect to the parameters of the model and uses this gradient to guide the training process of the weak learners. In this way, GB can gradually optimize the performance of the model and eventually get a strong learner with good performance. Each iteration will improve the model on the basis of the results of the last iteration so as to minimize the prediction discrepancy of the model and build a model

with higher precision. The training sample set is denoted as  $D$ .

$$D = \{(x_1, y_1), (x_2, y_2), \dots, (x_m, y_m)\} \quad (1)$$

In the formula,  $x_i \in X \subseteq R^n$ ,  $y_i \in Y \subseteq R$ ,  $X$  represents the input space,  $Y$  is the output space. Suppose  $T$  represents the maximum number of iterations,  $L(y, f(x))$  is the loss function,  $f(x)$  is the final output of the strong learner. The GB process is as follows.

#### 1. Initialization

$$f_0(x) = \arg \min_c \sum_{i=1}^m L(y_i, c) \quad (2)$$

#### 2. Iteration

where  $c$  represents the minimum value reached by the loss function. Thus, a tree having only a root node is obtained.

Calculate the direction opposite to the gradient of the loss function for sample  $i$ , and  $i = 1, 2, \dots, m$ .

$$r_{t,i} = - \left[ \frac{\partial L(y, f(x_i))}{\partial f(x_i)} \right]_{f(x)=f_{t-1}(x)} \quad (3)$$

where  $r_{t,i}$  is the magnitude of the negative gradient in the present model, taking it as a surrogate for the residual.

For  $(x_i, r_{t,i})$ ,  $i = 1, 2, \dots, m$ , generate a CART-based regression model. Through estimating the residual approximation, the  $t$ th regression tree is generated. Terminal node partitions of the regression tree is  $R_{t,j}$ ,  $j = 1, 2, \dots, J$ . Calculate the best fit.

$$c_{t,j} = \arg \min_c \sum_{x_i \in R_{t,j}} L(y_i, f_{t-1}(x_i) + c) \quad (4)$$

$$f_t(x) = f_{t-1}(x) + \sum_{j=1}^J c_{t,j} I(x \in R_{t,j}) \quad (5)$$

In the formula,  $I(x \in R_{t,j})$  represents the indicator function. If  $x \in R_{t,j}$  returns 1, otherwise returns 0. Get the regression tree.

This study proposed to use the cross-validation and grid search algorithm to evaluate the prediction accuracy and optimize the hyperparameters of GB and to achieve an interpretable analysis of the association between affecting variables and the  $M_r$  of stabilized aggregate base. This study proposed to introduce PDP and SHAP into GB to realize the importance and sensitivity analysis between influencing factors and the  $M_r$  of stabilized aggregate base.

### 2.3.3 | K-fold cross-validation

K-fold cross-validation is a generally used technique for evaluating machine learning model, which is mainly applied to measuring the generalization ability and accuracy of the model (Jeong et al., 2022; K. Liu et al., 2022). The principle of K-fold cross-validation operationalizes by evenly randomly and evenly divides the training set into  $k$  parts, and then  $k-1$  subsets are designated as training data to train the model, with the remaining subset reserved for validation to realize the verification of the model (Mathew et al., 2023). Finally, the original test set is applied to evaluating the effectiveness of the model in achieving its objectives again, and the results are used as the ultimate results of the model. This method makes full use of all training data, avoiding the deviation of model performance evaluation caused by improper data partitioning. Through multiple iterations and averaging, it effectively reduces the randomness of the results and improves the accuracy and generalization. K-fold cross-validation has the following advantages: (1) It reduces the performance fluctuation caused by different data splits, by training and validating multiple times. (2) Every sample is used for both training and validation, avoiding data wastage. (3) In cases of limited data, K-fold cross-validation can provide a more reliable performance evaluation.

This statistical validation technique is a simple and effective approach to assessing predictive performance that can provide more reliable performance estimates, especially for small and medium-sized datasets. With multiple training and validation, it can reduce the variance of model evaluation and help select more robust models.  $K = 5$  represents a commonly adopted value for  $K$  in K-fold cross-validation (Fan et al., 2025; Yu et al., 2021). To enhance the accuracy of the validation results, this study additionally includes cross-validation outcomes for  $K = 4$  and  $K = 6$ . The reliability of these two  $K$  values has also been proven (Fernandes Filho et al., 2023; Y. Liu et al., 2024; Rafie et al., 2023).

### 2.3.4 | Grid search algorithm

Grid search algorithm is a hyperparameter optimization method that identifies the optimal parameters configuration by exhaustively evaluating all possible combinations of hyperparameters. The principle of the grid search algorithm is to first define a list of candidate values for each hyperparameter that requires tuning, and then compute all possible combinations of these parameters. The best-performing parameters combination is ultimately selected based on the model evaluation results. Grid search algorithm has the advantages of simplicity and ease of



implementation, applicability to a wide range of models, and comprehensive coverage in hyperparameter exploration.

In this study, the grid search algorithm was employed to optimize the hyperparameters of GB and RF. For GB, the optimized hyperparameters included `max_depth`, `subsample`, `learning_rate`, and `n_estimators`. The search range for `max_depth` was set to (4, 10). For `subsample`, the candidate values were [0.5, 0.625, 0.75, 0.875, 1.0]. The search space for `learning_rate` included [0.05, 0.1, 0.15, 0.2, 0.25, 0.3], while `n_estimators` was explored across [100, 500, 1000, 1500, 2000]. For the RF, the optimized hyperparameters were `max_depth` and `n_estimators`. Specifically, the search range for `max_depth` was set to (4, 10), while `n_estimators` was explored across the candidate values [100, 500, 1000, 1500, 2000].

### 2.3.5 | SHAP

SHAP is a method designed to quantify the contribution of each feature to the predictive output of machine learning model, providing explanations for the decisions of the model. This method is grounded in the concept of Shapley Value from game theory, decomposing the predictions of complex black-box models into individual contribution values for each feature, thereby enabling interpretability analysis of the models. The calculation formula for the SHAP values is as follows.

$$\phi_i = \sum_{S \subseteq N \setminus \{i\}} \frac{|S|!(|N| - |S| - 1)!}{N!} (f(S \cup \{i\}) - f(S)) \quad (6)$$

In the formula,  $N$  represents the set of all features.  $S$  iterates over all subsets of features that do not contain feature  $i$ .  $|N|$  denotes the total number of features.  $|S|$  indicates the size of subset  $S$ .  $\frac{|S|!(|N| - |S| - 1)!}{N!}$  is the weight factor, accounting for the probability of subset  $S$  appearing in all possible permutations.  $f(x)$  represents the predicted value.  $f(S \cup \{i\}) - f(S)$  signifies the marginal contribution of feature  $i$  to subset  $S$ .

The calculation formula of SHAP values considers the marginal contribution brought by each feature when it is added to all possible combinations of features. Then, a weighting factor determined by the number of feature combinations is applied to compute the weighted average of marginal contributions. This ensures that SHAP values fairly allocate the total predictive contribution across all features. This study utilized SHAP to decompose the predictions of the  $M_r$  of stabilized aggregate base layers into feature contributions, thereby enabling interpretability analysis of the black-box predictive model.

### 2.3.6 | PDP

The core idea of PDP is to illustrate the marginal effect of one or two features on the predictive output of machine learning model. It reveals the relationship between features and predicted values by fixing the target feature and marginalizing the effects of other features. Its core assumption is that features are mutually independent, meaning the values of other features remain unaffected by the target feature during computation. This method is suitable for interpreting both linear and complex nonlinear relationships among features. As the model interpretability tool, PDP offers core advantages such as intuitiveness and global scope, but it also has limitations, including the masking of individual differences by averaged effects and difficulties in capturing high-dimensional interactions.

In this study, PDPs were employed to systematically demonstrate how model interpretability tools can elucidate the influence patterns of different features on the  $M_r$  of stabilized aggregate base. Additionally, the interactive effects between two features on the  $M_r$  were visualized.

### 2.3.7 | Optimized RF and GB

To achieve higher prediction fidelity of RF and GB on the  $M_r$  of stabilized aggregate base, this study introduced cross-validation to evaluate the accuracy and grid search algorithm to perform hyperparameter optimization of RF and GB. SHAP is a method used to explain the results generated by a machine learning model. SHAP offers a unified approach to interpreting the outputs of any machine learning model, applicable to regression, classification, and other tasks. SHAP is a powerful tool for model interpretation that aids in understanding the prediction behavior of complex models. This method is commonly applied in the fields of machine learning and data science. SHAP not only analyzes the average impact on the output magnitude but also further reveals the impact of all samples on the output. By examining the impact of each sample on the output, a clear analysis of how individual samples contribute to the output can be achieved. PDP serves as a graphical method for explaining the results made by machine learning models. It demonstrates the dependency relationship between the target variable and one or more features, while keeping other features constant. PDP aids in understanding how the model makes predictions based on specific features and is applicable to both regression and classification models. PDP is an effective model interpretation tool that helps comprehend the relationship between features and predictions, and the technique finds frequent employment across areas like data analysis and algorithmic modeling. By visualizing the marginal effect of features on predictions, PDP

provides an intuitive method for model interpretation. This study proposes the introduction of SHAP and PDP to achieve importance analysis, single-variable sensitivity analysis, and bivariate interaction sensitivity analysis of input variables on the output.

### 3 | RESULT AND ANALYSIS

#### 3.1 | K-fold cross-validation results

$R^2$  is a core metric in statistics and predictive models used to measure the degree of agreement between the predicted results and the actual observed data. Its essence is to evaluate the ability of model to uncover data patterns or its fitting effectiveness. In this study,  $R^2$  is used to measure the fitting effectiveness between the predicted values and the actual values. The closer  $R^2$  is to 1, the better the fitting effectiveness. Conversely, the closer it is to 0, the worse the fitting effectiveness. Mean absolute percentage error (MAPE) is a commonly used relative error evaluation metric in predictive models, and its core function is to quantify the deviation between the predicted values and the actual values. The essence of MAPE is to calculate the arithmetic mean of the absolute percentage errors for each sample, thereby eliminating the randomness of individual sample errors and reflecting the overall relative error level of the model. A smaller MAPE indicates a smaller relative deviation between the predicted values and the actual values, implying higher prediction accuracy of the model.  $R^2$  was selected as the prediction accuracy evaluation metric, and MAPE was selected as the prediction error evaluation metric for the models in this study. The calculation formulas for  $R^2$  and MAPE are as follows.

$$MAPE = \frac{1}{n} \sum_{i=1}^n \frac{|y'_i - y_i|}{y_i} \quad (7)$$

$$R^2 = 1 - \frac{\sum_{i=1}^n (y_i - y'_i)^2}{\sum_{i=1}^n (y_i - \bar{y})^2} \quad (8)$$

In the formula,  $n$  represents the sample size,  $y'_i$  stands for the predicted value,  $y_i$  is the actual value, and  $\bar{y}$  stands for the mean of the actual values.

In this study, prediction accuracy parameters ( $R^2$ ) and error parameters (MAPE) were selected to evaluate the prediction effect on the  $M_r$  of RF and GB on stabilized aggregate base.

The K-fold cross-validation ( $K =$  four, five, and six) results of RF and GB are displayed in Tables 2–4. The data in the tables show that the results of GB verification for four-fold cross-validation, five-fold cross-validation,

and six-fold cross-validation are all higher than 0.97, and MAPE are lower than 0.07. The four-fold cross-validation, five-fold cross-validation, and six-fold cross-validation results of RF are all higher than 0.91, and MAPE are lower than 0.15. In cross-validation, the average  $R^2$  values of GB are 0.974, 0.972, and 0.973 and that of RF are 0.920, 0.914, and 0.925. For mean MAPE, the average values of GB are 0.059, 0.062, and 0.058. The average values of RF are 0.137, 0.143, and 0.130. In cross-validation, GB demonstrated a higher  $R^2$  and a lower MAPE than RF. The above analysis proves that RF and GB have excellent performance in evaluating the  $M_r$  of stabilized aggregate base, and the models have strong robustness and generalization ability. In contrast, GB has a higher prediction accuracy and stability for the  $M_r$  than RF.

#### 3.2 | Prediction accuracy analysis

To further improve the accuracy of RF and GB in evaluating the  $M_r$  of stabilized aggregate base, this study applied the grid search algorithm to adjust the hyperparameters of RF and GB, and then used the optimized RF and GB to evaluate the  $M_r$  of stabilized aggregate base. The predictive effect of RF and GB on the  $M_r$  of stabilized aggregate base is shown in Figure 4. Model outputs for the  $M_r$  using GB align nearly perfectly with observed values in the training set, achieving an  $R^2$  value approaching unity, with only a few scattered points deviating from the line of  $R^2 = 1$ . Compared to GB, RF exhibits poorer prediction performance on the training set, with a deviation between the predicted and actual values and the perfect fit curve ( $R^2 = 1$ ). The  $R^2$  value for RF is 0.98. In the test set, GB also demonstrates superior prediction performance for the  $M_r$ , with  $R^2$  values of 0.96. Compared to GB, the prediction effect of RF is poorer, with  $R^2$  values between predicted and actual values in the test set being 0.94. The aforementioned analysis demonstrates that among the optimized RF and GB, GB exhibits superior prediction accuracy for the  $M_r$ , compared to RF.

#### 3.3 | Importance and sensitivity analysis

##### 3.3.1 | Importance analysis

This study utilized SHAP to explain the contribution of different input variables to the  $M_r$ . Figure 5 presents the analysis results of the importance of influencing factors on the  $M_r$ . The vertical axis signifies the influencing factors, while the horizontal axis represents the mean SHAP values in Figure 5. Figure 5 indicates that the importance of the influencing factors decreases in the order of



**TABLE 2** The outcomes of four-fold cross-validation.

Model	Repetition number	$R^2$	Mean value	Mean absolute percentage error (MAPE)	Mean value
Random forest (RF)	1	0.924	0.920	0.136	0.137
	2	0.918		0.139	
	3	0.920		0.137	
	4	0.919		0.136	
Gradient boosting (GB)	1	0.975	0.974	0.059	0.059
	2	0.972		0.060	
	3	0.974		0.058	
	4	0.975		0.059	

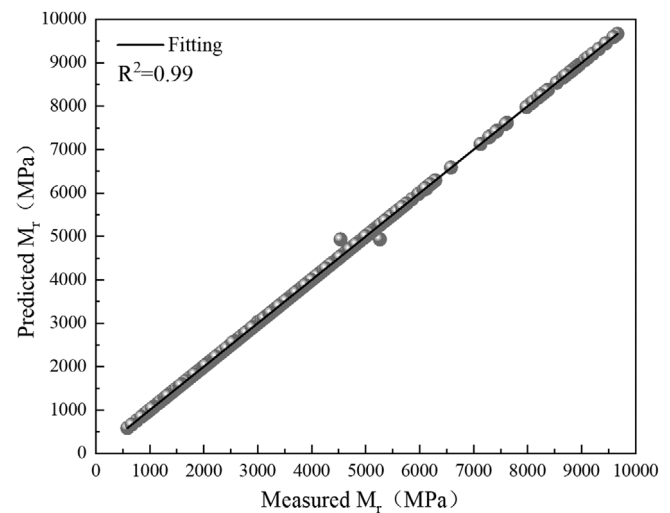
**TABLE 3** The outcomes of five-fold cross-validation.

Model	Repetition number	$R^2$	Mean value	MAPE	Mean value
RF	1	0.914	0.914	0.145	0.143
	2	0.918		0.138	
	3	0.915		0.142	
	4	0.912		0.147	
	5	0.910		0.141	
GB	1	0.973	0.972	0.060	0.062
	2	0.971		0.061	
	3	0.971		0.065	
	4	0.973		0.060	
	5	0.971		0.062	

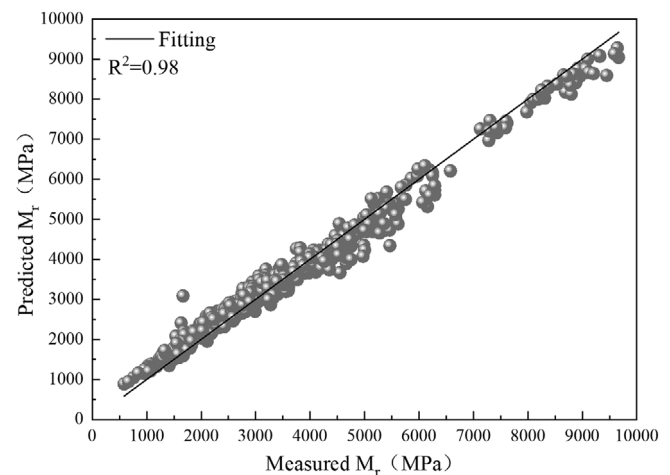
**TABLE 4** The outcomes of six-fold cross-validation.

Model	Repetition number	$R^2$	Mean value	MAPE	Mean value
RF	1	0.926	0.925	0.132	0.130
	2	0.925		0.130	
	3	0.926		0.131	
	4	0.925		0.129	
	5	0.923		0.130	
	6	0.925		0.130	
GB	1	0.974	0.973	0.058	0.058
	2	0.973		0.059	
	3	0.973		0.059	
	4	0.974		0.057	
	5	0.973		0.059	
	6	0.973		0.059	

DMR, WDC,  $\sigma_4$ ,  $\sigma_3$  and CSAFR (A. Khan et al., 2023). DMR has the utmost importance to the  $M_r$ , significantly outpacing all other affecting variables. CSAFR has the least impact on the  $M_r$ , with its average SHAP value being roughly only one-tenth of that associated with the average



(a) Training set of GB



(b) Training set of RF

**FIGURE 4** The fitting effect of the predicted and actual values. GB, gradient boosting; RF, random forest.

SHAP value of DMR. Although the importance analysis can explore the importance of influencing factors to the  $M_r$ , it cannot be clear the change rule of the  $M_r$  with the change of influencing factors.

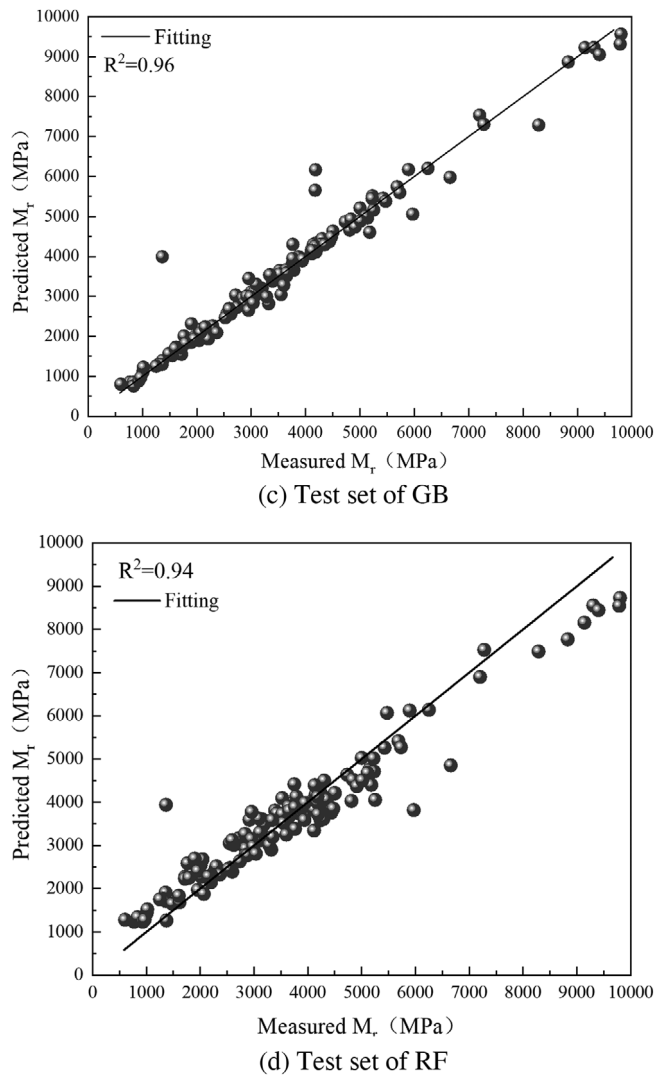


FIGURE 4 Continued

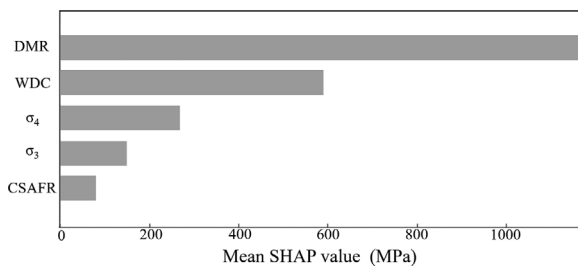


FIGURE 5 Results of importance analysis. SHAP, Shapley additive explanations.

### 3.3.2 | Univariate sensitivity analysis

PDP was used to further analyze the sensitivity of different input variables to the  $M_r$ . Univariate sensitivity analysis refers to the process of analyzing the individual impact of a single independent factor on the  $M_r$  while keeping other factors constant. Its physical significance lies in

identifying key influencing factors, revealing the linear or nonlinear relationships between them and  $M_r$ , and providing guidance for the optimal design of stabilized aggregate base. Figure 6a shows that with the increase of DMR,  $M_r$  presents a trend of gradual increase (Heidarabadizadeh et al., 2021). When DMR is around the range of 0–2.7% $\text{kN/m}^3$ , the increasing trend of DMR has a significant impact on the increase of the  $M_r$ . when DMR changes around the range of 2.7–4.2% $\text{kN/m}^3$ , the positive correlation effect on the  $M_r$  is relatively small. When DMR exceeds 4.2% $\text{kN/m}^3$ , its significant influence on the  $M_r$  reappears. The physical reasons for the above phenomenon are as follows. When the DMR is relatively small, the material exists in a relatively loose state. As the DMR increases, aggregate particles undergo reorganization during compaction, with smaller particles filling the voids between larger ones, thereby forming a denser skeletal structure. The reduction in porosity directly leads to an increase in material stiffness, resulting in a significant rise in the  $M_r$ . Figure 6b shows that WDC is significantly negatively correlated with the  $M_r$ . This is because during the dry-wet cycle, the base material may experience volume change and stress concentration, resulting in the destruction of the internal structure and the formation of micro-cracks, which will reduce the stiffness and bearing capacity of the base, thus showing a decrease in the  $M_r$ . Figure 6c indicates that as  $\sigma_4$  increases, there is a gradual increase trend of the  $M_r$  (Heidarabadizadeh et al., 2021). Furthermore, when  $\sigma_4$  reaches around 70 kPa, the increasing trend of the  $M_r$  becomes more significant. The information in Figure 6d suggests that the influence pattern of  $\sigma_3$  on the  $M_r$  exhibits a high degree of consistency with the influence pattern of  $\sigma_4$  on the  $M_r$ . Both show an increase in the  $M_r$  as the influencing factor increases, and when they reach around 70 kPa, this positive correlation becomes even more pronounced. Under low  $\sigma_4$  and  $\sigma_3$ , aggregate particles remain loosely arranged with limited contact points between them. Constrained by interparticle friction, the  $M_r$  increases only gradually as  $\sigma_4$  and  $\sigma_3$  rise. However, once  $\sigma_4$  and  $\sigma_3$  exceed 70 kPa, partial particle crushing occurs, generating finer fragments that fill the voids. This leads to a denser skeletal structure, and the positive correlation between  $\sigma_4$  and  $M_r$ ,  $\sigma_3$  and  $M_r$  become more pronounced. Figure 6e manifests that when the CSAFR is low, insufficient hydration occurs, leading to localized enrichment of oxides on aggregate surfaces. This prevents the formation of a continuous cementitious layer, impeding interparticle contact friction and reducing material stiffness. Consequently, the  $M_r$  decreases as CSAFR increases. However, when CSAFR reaches approximately 0.2%, the quantity and quality of hydration products improve significantly, forming a dense cementitious-aggregate structure. This enhances

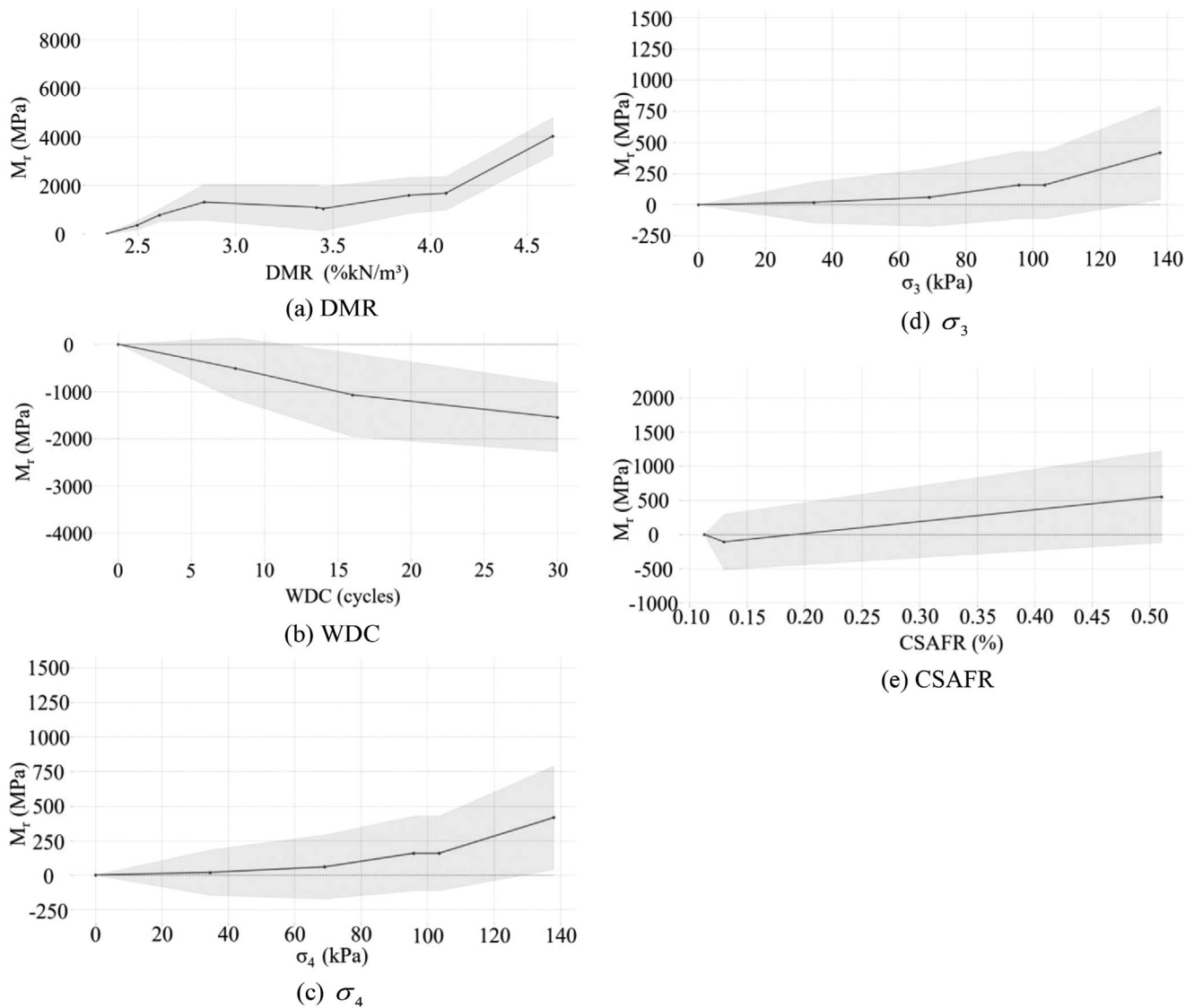


FIGURE 6 Univariate sensitivity analysis.

interparticle bonding strength and stress transfer efficiency, causing  $M_r$  to increase with further rises in CSAFR.

### 3.3.3 | Bivariate interaction sensitivity analysis

Bivariate interactive sensitivity analysis refers to selecting two variables from numerous uncertain factors and analyzing the degree of influence and sensitivity of these two variables on the output indicators when they change simultaneously. Its physical significance lies in uncovering the synergistic or antagonistic effects among influencing factors, thereby guiding the optimal design of stabilized aggregate base in complex environments where two factors need to be considered concurrently. As shown in Figure 7a, the increase of DMR has little impact on

the positive correlation between WDC and  $M_r$ . However, when WDC is in the range of about 15 cycles to 21 cycles and 2 cycles to 6 cycles, with the increase of DMR,  $M_r$  exhibits a dynamic pattern characterized by an initial rise, a decline ensued after the increase, and then a subsequent resurgence, which is inconsistent with the trend of the  $M_r$  increasing with the increase of DMR when considering the single influence factor of DMR. The reasons for the cause of this phenomenon are likely that WDC significantly alter the microstructural and hydro-mechanical interactions within stabilized aggregate bases, thereby affecting the relationship between the DMR and the  $M_r$ . It indicates that the interaction between WDC and DMR affects the impact of DMR on the  $M_r$  when only considering DMR as a single influencing factor. Figure 7b shows the interaction influence rule of DMR and  $\sigma_4$  on the  $M_r$ . The change of DMR has little influence on the positive correlation between  $\sigma_4$

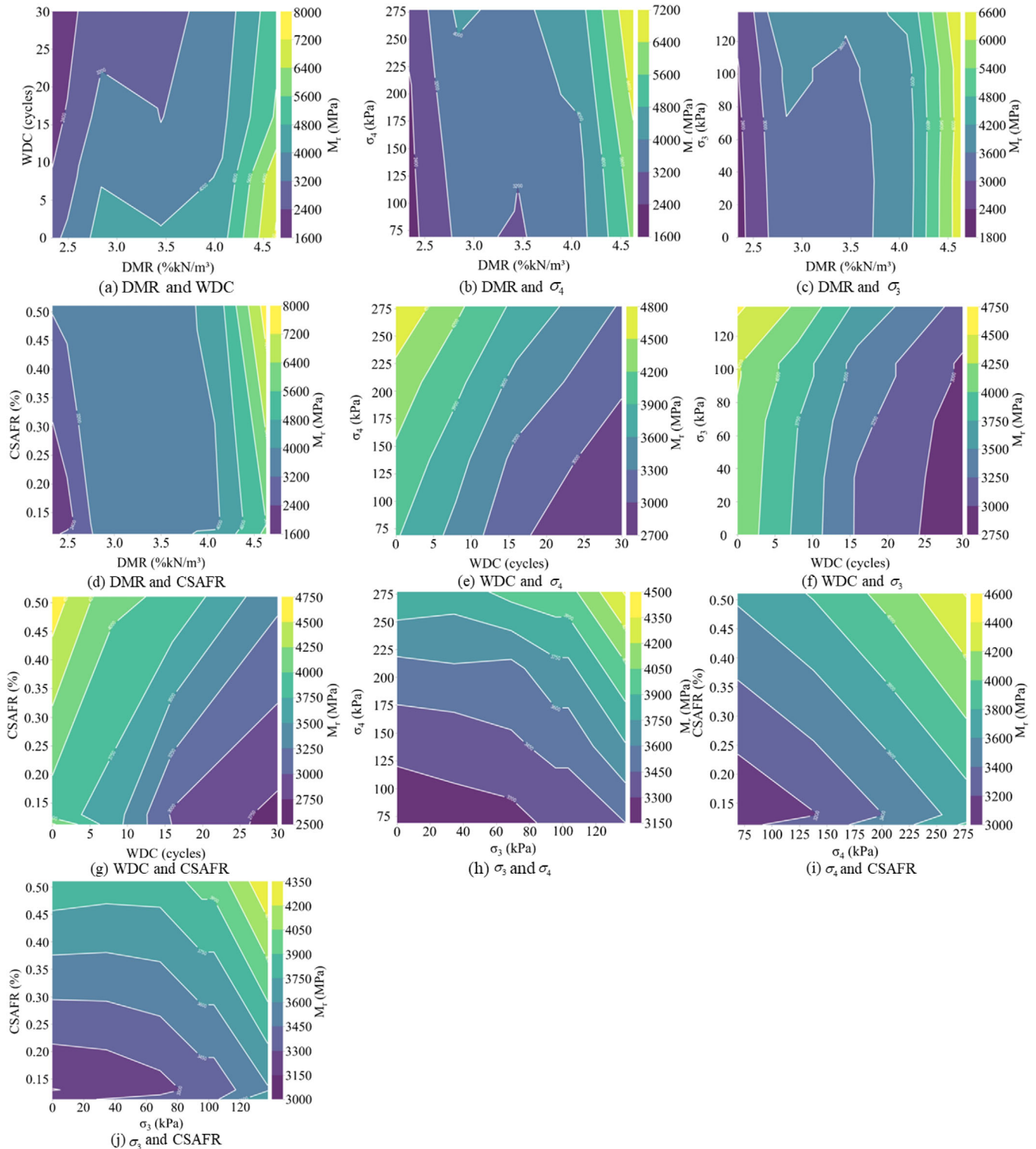


FIGURE 7 Bivariate interaction sensitivity analysis.

and  $M_r$ . When  $\sigma_4$  is more than about 125 kPa and less than 250 kPa, the change of  $\sigma_4$  has no influence on the positive correlation between DMR and  $M_r$ . However, when  $\sigma_4$  is more than about 250 kPa or less than about 125 kPa,  $M_r$  increases first, subsequently undergoes a decline, followed by a resurgence as the DMR increases. But the abnormal

state is very slight. Figure 7c shows the interaction influence rule of DMR and  $\sigma_3$  on the  $M_r$ . This influence pattern is quite similar to that of the interaction influence rule of DMR and  $\sigma_4$  on the  $M_r$ . DMR is essentially determined by the forming state of materials, and since  $\sigma_4$  and  $\sigma_3$  represent external forces, DMR will generally not affect the





relationship between  $\sigma_4$  and  $M_r$ ,  $\sigma_3$  and  $M_r$ . Figure 7d presents the results of the interaction between DMR and CSAFR on the  $M_r$ . When DMR is less than approximately  $2.7\text{ kN/m}^3$  or greater than  $3.7\text{ kN/m}^3$ , there is a slight increasing trend in the  $M_r$  with the increase in CSAFR. However, when DMR falls within the range of approximately  $2.7$  to  $3.7\text{ kN/m}^3$ , the correlation between CSAFR and  $M_r$  disappears. This state likely arises due to the interaction between DMR and CSAFR, which affects the correlation between CSAFR and  $M_r$ . The sensitivity relationship between DMR and  $M_r$  appears to be unaffected by the interaction between DMR and CSAFR. Figure 7e–h depicts the sensitivity relationships of  $M_r$  to the interactions between WDC and  $\sigma_4$ , WDC and  $\sigma_3$ , WDC and CSAFR,  $\sigma_3$  and  $\sigma_4$ , respectively. It can be observed from the figures that the interactions between them have little impact on their individual sensitivity relationships with  $M_r$ . Figure 7i,j shows the interaction sensitivity relationship of  $\sigma_4$  and CSAFR,  $\sigma_3$  and CSAFR to  $M_r$ . Since the sensitivity curves of  $M_r$  to  $\sigma_4$  and  $\sigma_3$  are relatively similar, the interaction influence rules of  $\sigma_4$  and CSAFR,  $\sigma_3$  and CSAFR on  $M_r$  also show a high consistency. With the change of CSAFR, the positive correlation between  $\sigma_4$  and  $\sigma_3$  on  $M_r$  basically does not change. With the change of  $\sigma_4$  and  $\sigma_3$ , the sensitivity relationship between CSAFR and  $M_r$  shows an abnormal point at about 0.2%. The above analysis proves that the interaction between  $\sigma_4$  and CSAFR,  $\sigma_3$  and CSAFR basically does not affect the single sensitivity relationship between them and  $M_r$ .

## 4 | CONCLUSION

In practical applications, the  $M_r$  of stabilized aggregate base is often affected by many influencing factors, and there may be complex interaction between these factors. Sensitivity analysis of the interaction among variables that affect the  $M_r$  in stabilized aggregate bases can reveal how these variables work together to influence  $M_r$  by considering changes in multiple variables simultaneously. This analytical process facilitates a more profound comprehension of the complexity and dynamics of the  $M_r$  in stabilized aggregate bases. To elucidate the impact patterns of interactive effects among influential factors on the  $M_r$  of stabilized aggregate base, this study first established a regression prediction model for the  $M_r$  of stabilized aggregate base using the machine learning and improved the prediction accuracy of the models through hyperparameter tuning. Then, based on the model with high prediction accuracy, the importance analysis, single sensitivity analysis and bivariate interaction sensitivity analysis

were analyzed. The primary findings of this investigation are encapsulated as follows.

1. Prediction models for the  $M_r$  of stabilized aggregate base were developed leveraging RF and GB. Additionally, the accuracy of these models was evaluated using cross-validation. The results of cross-validation show that GB has better performance in predicting the  $M_r$  than RF. The  $R^2$  of the cross-validation of GB are greater than 0.97, while that of RF are only around 0.91.
2. To improve the predictive accuracy of RF and GB for  $M_r$ , hyperparameter optimization was performed using the grid search algorithm. Both RF and GB optimized by grid search algorithm led to a substantial enhancement in the precision of the predictions for the  $M_r$  of stabilized aggregate bases. The  $R^2$  for GB in the training set and test set are 0.99 and 0.96, while the  $R^2$  for RF in the training set and test set are 0.98 and 0.94, respectively. Compared to the two models, GB has an elevated level of predictive accuracy for the  $M_r$  of the stabilized aggregate base.
3. Based on the GB demonstrating superior predictive performance for  $M_r$ , a framework integrating SHAP for feature importance analysis and PDP for sensitivity assessment was constructed. The importance analysis indicated that DMR is the most significant indicator for the  $M_r$ , with a much greater importance than the other four influencing factors. CSAFR has the least importance for the  $M_r$ . DMR,  $\sigma_4$ , and  $\sigma_3$  all have demonstrated a notably discernible positive association with the  $M_r$ , and the degree of influence of DMR on the  $M_r$  is about eight times greater than that of  $\sigma_4$  and  $\sigma_3$ . As WDC increases,  $M_r$  shows a decreasing trend, and the sensitivity curve between them is close to a smooth curve, indicating that  $M_r$  decreases regularly with the increase of WDC. As CSAFR increases,  $M_r$  exhibits a phenomenon of first decreasing and then increasing.
4. Based on the pre-trained GB and PDP, a research framework was established to investigate the interaction effects among influential factors on  $M_r$ . PDP was used to realize the bivariate interaction sensitivity analysis of the influential factors. The bivariate interaction sensitivity analysis indicates that under the pairwise interactive effects of the four influencing factors, namely, WDC,  $\sigma_4$ ,  $\sigma_3$ , and CSAFR, the sensitivity relationship between each single factor and  $M_r$  is basically not disrupted. However, changes in WDC have a certain disruptive effect on the sensitivity relationship between DMR and  $M_r$ . The changes in  $\sigma_4$  and  $\sigma_3$  also have a certain disruptive effect on the negative correlation between DMR and  $M_r$ , and the destructive patterns are similar and both very small.



This research provides an approach to understanding the relationships between different affecting variables and the  $M_r$  of stabilized aggregate base, enabling a more effective hybrid design process for more durable road infrastructure. However, this study only considered five influencing factors, which is relatively limited in scope. Moreover, it could only analyze the sensitivity of single variables and the interactive effects of bivariate interactions, without the capability to explore the influence patterns of interactions among a larger number of variables. It is recommended that future studies should include publicly available datasets collected from different geographical regions to validate, evaluate, and expand the universality of the model. Researchers can also integrate mechanical models (such as finite element simulations) with machine learning models to enhance the interpretability and physical consistency of the models. Additionally, they can consider incorporating more factors, including gradation, curing age, and dynamic load frequency, to analyze the influence patterns of a broader range of factors on the  $M_r$  of stabilized aggregate base.

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